## 2.5 Syste

## **Systems of Linear Equations**For use with Activity 2.5

Essential Question How can you solve a system of linear equations?

**ACTIVITY:** Writing a System of Linear Equations

Work with a partner.

Your family starts a bed-and-breakfast in your home. You spend \$500 fixing up a bedroom to rent. Your cost for food and utilities is \$10 per night. Your family charges \$60 per night to rent the bedroom.

**a.** Write an equation that represents your costs.

$$\begin{bmatrix}
\text{Cost, } C \\
(\text{in dollars})
\end{bmatrix} = \begin{bmatrix}
\$10 \text{ per} \\
\text{night}
\end{bmatrix} \bullet \begin{bmatrix}
\text{Number of} \\
\text{nights, } x
\end{bmatrix} + \begin{bmatrix}
\$500$$

**b.** Write an equation that represents your revenue (income).

Revenue, 
$$R$$
 (in dollars) =  $\begin{pmatrix} $60 \text{ per } \\ \text{night} \end{pmatrix}$  •  $\begin{pmatrix} \text{Number of } \\ \text{nights}, x \end{pmatrix}$ 

**c.** A set of two (or more) linear equations is called a **system of linear equations**. Write the system of linear equations for this problem.

## 2.5 Systems of Linear Equations (continued)

2 ACTIVITY: Using a Table to Solve a System

Use the cost and revenue equations from Activity 1 to find how many nights you need to rent the bedroom before you recover the cost of fixing up the bedroom. This is the *break-even point* for your business.

**a.** Complete the table.

x	0	1	2	3	4	5	6	7	8	9	10	11
O												
R												

**b.** How many nights do you need to rent the bedroom before you break even?

- **3 ACTIVITY:** Using a Graph to Solve a System
  - **a.** Graph the cost equation from Activity 1.
  - **b.** In the same coordinate plane, graph the revenue equation from Activity 1.
  - **c.** Find the point of intersection of the two graphs. The *x*-value of this point is the number of nights you need to rent the bedroom to break even.

